- 7. Prove that ideal filters have constant gain, constant 10 group and phase delays.
 - Find the transfer function for Low Pass RC filter. Also draw its magnitude and phase spectrum. 10

Section-D

- Find the z-transform of the following signals:
 - (i) $\mu(k)$
 - (ii) $(k+1) a^{k}$
 - (iii) b^k sin ak
 - (iv) cos ak

20

Find inverse z-transform of the following:

(i)
$$\frac{z^2}{z^3-1.7z^2+0.8z+0.1}$$

(ii)
$$\frac{z^2-5}{(z-1)(z-2)^2}$$

B.Tech. 4th Semester (ECE) - (F-Scheme) Examination, May-2018 SIGNALS AND SYSTEMS

Paper-EE-228-F

[Maximum marks: 100 Time allowed: 3 hours]

Note: Attempt five questions. Question No. 1 is compulsory and attempt one question from each of the four sections.

- Discuss energy and power signals.
 - Write down the time differentiation and integration property of Fourier transform. 5
 - A continuous time causal stable LTI system has the following response

$$H(jw) = \frac{1 - j2w}{1 + j2w}$$

Determine (i) |H (jw)| and

(ii) Group Delay T(w)

5

Explain S to Z plane mapping with help of an illustration.

5

Section-A

- 2. Explain the following signals with help of illustrations:
 - (i) Continuous time and Discrete time
 - (ii) Periodic and Non-Periodic
 - (iii) Even and Odd
 - (iv) Energy and Power

20

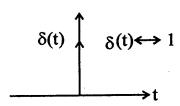
- 3. Discuss the following signals:
 - (i) Unit step
 - (ii) Unit impulse
 - (iii) Unit ramp
 - (iv) Exponential

20

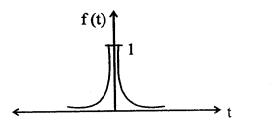
10

Section-B

- 4. (a) Obtain the Fourier transform of following:
 - (i) Impulse function



(ii) Exponentially decaying function



(b) Obtain the Fourier transform spectrum $G_T(w)$ of the rectangular pulse defined as

$$g_{T}(t) = \begin{cases} 1 & |t| \leq \frac{T}{2} \\ 0 & \text{otherwise} \end{cases}$$

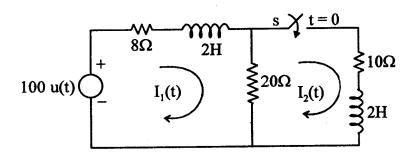
Also sketch the gate function.

10

5. State all the properties of Fourier transform with their proofs.

Section-C

6. (a) In given circuit switch is closed at t = 0. Find out the currents $I_1(t)$ and $I_2(t)$.



(b) Find the two sided Laplace Transform and ROC of the signal $f(t) = e^{3t} u(-t) + e^{2t} u(t)$.