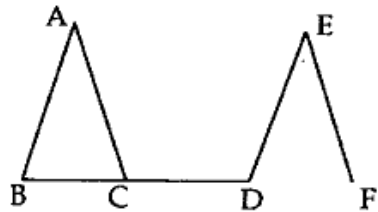


(b) Distinguish between euleian path and circuit with suitable example. 10

9. (a) Draw all spanning trees of graph given below : 10



(b) Distinguish between Hamilton path and circuit by taking suitable example. 10

Roll No.

24041

**B. Tech. 3rd Semester (CS & IT)
Examination – December, 2018**

DISCRETE STRUCTURE

Paper : CSE-203-F

Time : Three Hours] [Maximum Marks : 100

Before answering the questions, candidates should ensure that they have been supplied the correct and complete question paper. No complaint in this regard, will be entertained after examination.

Note : Attempt *five* questions in total selecting *one* question from each of *four* Sections: Question No. 1 is *compulsory*.

1. Explain the following terms by taking suitable example : 20

- (i) Equivalence relations and partitioning
- (ii) Polynomials and their evaluation
- (iii) Integral Domain and fields
- (iv) Multi graph and Weighted graph

SECTION - A

2. Define propositions, tautologies, contradictions and hence prove that the following propositions are tautology: 20
- (i) $p \vee \sim p$
 - (ii) $\sim(p \wedge q) \vee q$
 - (iii) $P \Rightarrow (p \vee q)$
3. (a) Let $f : A \rightarrow B$ be a function. Then show that f^{-1} exists iff f is a bijective function. 20
- (b) Consider the following conditional statement:
 p : if the flood destroy my house or the fire destroy my house, then my insurance company will pay me.
- (c) Let $A = \{1,2,3,4\}$ and $R = \{(2,1), (3,1), (3,2), (4,1), (4,2), (4,3), (1,1), (2,2)\}$ Show that R is Equivalence Relation or not.

SECTION - B

4. (a) Explain permutations and combination and hence find in how many ways a committee of 3 faculty members and four students be selected from 6 faculty members and 6 students. 12
- (b) Define AP, GP and AG series with examples. Also write the formula for sum of n terms in AP, GP, AG series. 8

24041-4100-(P-4)(Q-9)(18) (2)

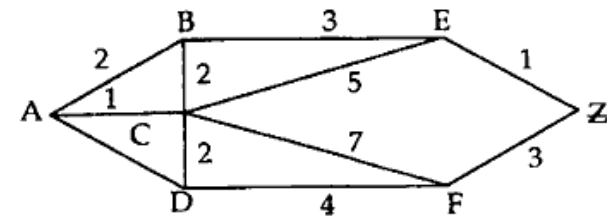
5. (a) Solve the recurrence relation : 10
 $a_r - 7a_{r-1} + 10a_{r-2} + 20 = 0$ by the method of generating functions with the initial conditions $a_0 = 3$ and $a_1 = 3$.
- (b) Solve the recurrence relations : 10
 $a_r - 4a_{r-1} + 4a_{r-2} = 0$ and find the particular solution, given that $a_0 = 3$ and $a_1 = 3$.

SECTION - C

6. Define the following with suitable example : 20
- (i) Semi group
 - (ii) Homomorphism
 - (iii) Cosets
 - (iv) Integral domain and fields
7. (a) State and prove Lagrange's Theorem. 10
- (b) Define with suitable example : 10
- (i) Isomorphism and automorphism
 - (ii) Normal subgroup

SECTION - D

8. (a) Find the shortest path from A to Z. 10



24041-4100-(P-4)(Q-9)(18) (3)

P. T. O.