B.Tech 6th Semester (CSE) F-Scheme Examination, May-2017

ANALYSIS AND DESIGN OF ALGORITHMS

Paper-CSE-306-F

Time allowed: 3 hours]

[Maximum marks: 100

Note: Attempt five questions with at least one question from each section. Question No. 1 is compulsory.

- 1. (a) Explain Asymptotic notation in detail.
 - (b) Differentiate between greedy and dynamic techniques.
 - (c) Derive relationship between P and NP.
 - (d) What is dominance rule? Explain with example. 5×4=20

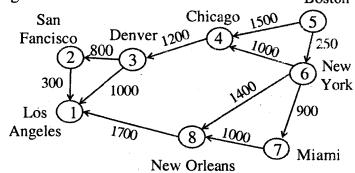
Section-A

- 2. (a) Explain time & space complexity in detail. 10
 - (b) Write quick sort algorithm with example and its complexity's analysis. 10
- 3. (a) What are graphs? Write about different graph representations with proper diagrams. 10
 - (b) State and analyse Strassen's matrix multiplication algorithm. 10

Section-B

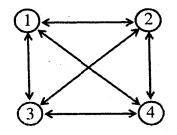
4. Explain the following single source shortest path problem where source is node 5 and destination is node 1 using Greedy method. Write and analyse its algorithm also.

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- 5. (a) Consider the o/1 Kuapsack instance where the no. of items are n=3, max capacity m=6 and $(w_1, w_2, w_3) = (2, 3, 4)$ respective $(P_1, P_2, P_3) = (1,2,5)$. Find the optimal solution using dynamic programming.
 - (b) Solve the following dynamic programming problem: 10



Section-C

- 6. (a) Explain Backtracking. Write also for 8-queues problem with its complexity. 10
 - (b) Write short note on Graph coloring and Hamiltonian cycle. Tell another method by which these problems can be solved.
- 7. (a) Explain lower bounds on parallel computations.
 - (b) Solve the following problem by using LC branch and bound method:

Knapsack instance n=4, p(1:4)=(10,10,12,18) & weight w (1:4) = (2,4,6,9) & max. capacity m=15.

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Section-D

- **8.** Write short note on:
 - (a) Show CDP is NP complete
 - (b) P <u>c</u> NP
 - (c) Node cover problem in NP-complete.
 - (d) Prove DHC is NP hard. $5\times4=20$
- 9. (a) What are non-deterministic algorithm and write one for the maximum clique problem. 10
 - (b) State & explain Cook's theorem.

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